# **Recursive Descent Parsing**

- Top-down parsing: build tree from root symbol
- Each production corresponds to one recursive procedure
- Each procedure recognizes an instance of a non-terminal, returns tree fragment for the non-terminal

## **General model**



- Each right-hand side of a production provides body for a function
- Each non-terminal on the rhs is translated into a call to the function that recognizes that non-terminal
- Each terminal in the rhs is translated into a call to the lexical scanner. Error if the resulting token is not the expected terminal.
- Each recognizing function returns a tree fragment.



## Example: parsing a declaration

- FULL TYPE DECLARATION ::=
- type DEFINING\_IDENTIFIER is TYPE\_DEFINITION;
- Translates into:
  - get token type
  - Find a defining\_identifier -- function call

- get token is
- Recognize a type\_definition -- function call
- get token semicolon
- In practice, we already know that the first token is type, that's why this routine was called in the first place! Predictive parsing is guided by the next token

### Example: parsing a loop

• FOR\_STATEMENT ::= ITERATION\_SCHEME loop STATEMENTS end loop;

Node1 := find\_iteration\_scheme; -- call function

get token loop

List1 := Sequence of statements

get token end

get token loop

get token semicolon;

Result := build loop\_node with Node1 and List1 return Result

- -- call function



## Complications



- If there are multiple productions for a nonterminal, we need a mechanism to determine which production to use
  - IF\_STAT ::= if COND then Stats end if;
  - IF\_STAT ::= if COND then Stats ELSIF\_PART end if;
- When next token is if, can't tell which production to use.

#### **Solution: factorize grammar**



- If several productions have the same prefix, rewrite as single production:
- IF\_STAT ::= if COND then STATS [ELSIF\_PART] end if;
- Problem now reduces to recognizing whether an optional
- Component (ELSIF\_PART) is present

#### **Complication: recursion**



- Grammar cannot be left-recursive:
- E ::= E + T | T
- Problem: to find an E, start by finding an E...
- Original scheme leads to infinite loop: grammar is inappropriate for recursivedescent

#### **Solution: remove left-recursion**



E ::= E + T | T means that eventually E expands into

T + T + T ....

- Rewrite as:
  - E ::= TE'
  - E' ::= + TE' | *epsilon*
- Informally: E' is a possibly empty sequence of terms separated by an operator



#### **Recursion can involve multiple productions**

- A ::= B C | D
- B ::= A E | F
- Can be rewritten as:

- And then apply previous method
- General algorithm to detect and remove leftrecursion from grammar (see ASU)

## **Further complication**



- Transformation does not preserve associativity:
- E ::= E + T | T
- Parses a+b+c as (a+b)+c
- E ::= TE', E' ::= + TE' | *epsilon*
- Parses a + b + c as a + (b + c)

Incorrect for a - b - c : must rewrite tree

#### In practice: use loop to find sequence of terms

Node1 := P\_Term; -- call function that recognizes a term loop

exit when Token not in Token\_Class\_Binary\_Addop; Node2 := New\_Node (P\_Binary\_Adding\_Operator); Scan; -- past operator Set\_Left\_Opnd (Node2, Node1); Set\_Right\_Opnd (Node2, P\_Term); -- find next term Set\_Op\_Name (Node2); Node1 := Node2; -- operand for next operation end loop;

